

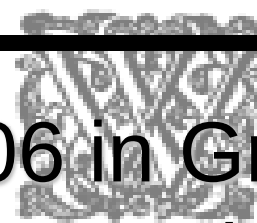
William Oughtred und die Logarithmen

IM 2006 in Greifswald
29. September 2006
Klaus Kühn aus Nienstadt



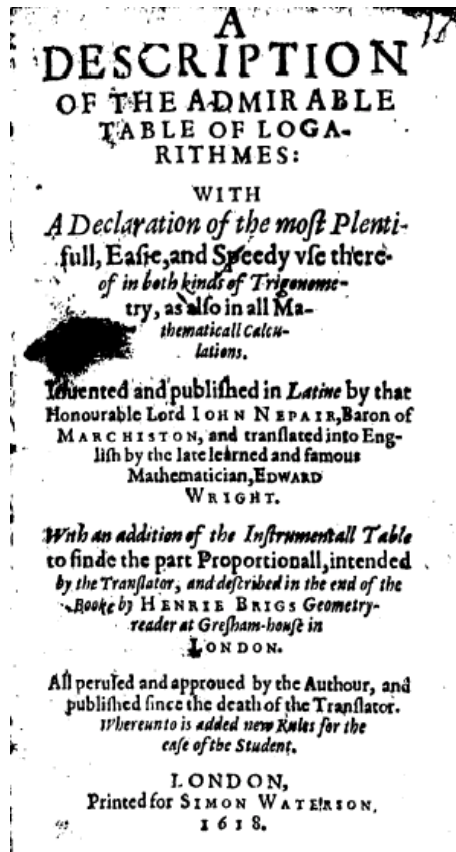
An Appendix to the Logarithmes, shewing

the pattern of the Calculation
of Triangles, and also a new and
ready way for the exact finding out of
Sines and Logarithmes as are
the Tables in the former



Her great care is offered
unto vs in this art of Logarithmic, for the resolution of all Triangles both
Arithmetick and Geometricall
(without any speech) experience it will quick-
ly shew the cause and becom-
tyred with the labourious worke of the for-
merly used tables of Triangles, I meane of
Tangents and Secants, that the excellent inuention of this Author
may afford vs. two things seemed vnto mee
conueniently might bee added hereunto:
The one is a direction for the practise of the
seuerall rules of the Calculation of Trian-
gles: The other is a perfect and readie way
of finding out such Sines and Logarithmes
which

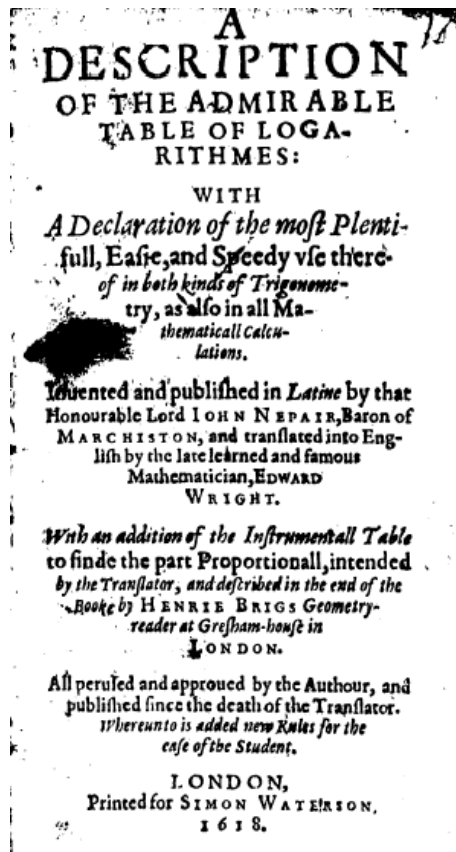
William Oughtred und die Logarithmen - Abstrakt



Drei Namen sind mit der Geschichte der Logarithmen eng verbunden: John Napier (1550 - 1617), Jobst Bürgi (1552 - 1632) und Henry Briggs (1560 - 1630). Während die Entwicklung der Logarithmen durch Napier auf einer mathematisch-kinematischen Methode beruhte (1), ist Bürgi den Weg der "Antilogarithmenberechnung" gegangen (5). Das Verdienst von Henry Briggs liegt darin, die Basis 10 einzuführen, die zu einer Vereinfachung der Berechnungen führte (6). Die Idee dazu entstand nach seinen Besuchen bei Napier (1615 und 1616) und bezog sich auf die numerischen Werte. Napier hatte zunächst nur trigonometrische Werte logarithmiert.

In den nächsten Jahren nach der Veröffentlichung der "Mirifici Logarithmorum Canonis Descriptio" - der ersten Logarithmentafel - im Jahre 1614 entstanden in schneller Folge weitere Ausgaben des Werkes in englischer und französischer Sprache. Interessant dabei war, dass sich die einzelnen Ausgaben unterschieden. Zwar waren die Tafeln meist gleich geblieben, aber es tauchten auch Zusatzinformationen auf - sogenannte APPENDIXE. Die Autoren dieser Appendixe waren nicht immer zweifelsfrei zu identifizieren und so machten sich Mathematikhistoriker daran, mehr über die Autorenschaften herauszufinden.

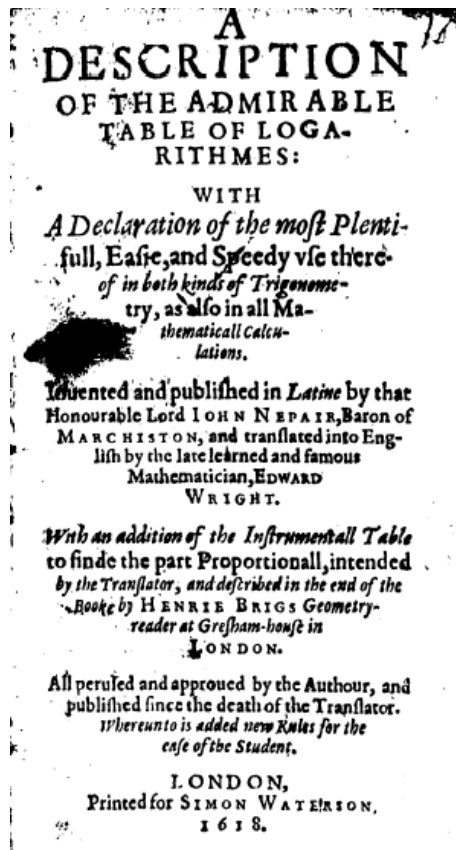
William Oughtred und die Logarithmen – Abstrakt (2)



Eine wichtige Arbeit aus diesem Bereich ist eine von J.W.L. Glaisher (1848 - 1928), der sich in der 1914 erschienenen Veröffentlichung (2) "*The earliest use of the radix method for calculating logarithms, with historical notices relating to the contributions of Oughtred and others to mathematical notation*" mit einem 16-seitigen Appendix auseinandersetzt, der 1618 (in diesem Jahr hatten sich Henry Briggs und William Oughtred auch persönlich getroffen) nur in der 2. Auflage der von Edward Wright ins Englische übersetzten "Mirifici - A description of the admirable table of logarithmes..." erschien. In diesem Appendix geht es um eine Methode, Logarithmen zu berechnen und zwar um die sogenannte Wurzelmethode - "Radix Method", mit der die Logarithmen der Zahlen zu berechnen sind. Ursprünglich wurde dieser Appendix Henry Briggs zugeordnet, der in diesem Band einen anderen Beitrag leistet - "Instrumental Table". Allerdings hat Glaisher einige Anhaltspunkte von A. de Morgan aufgegriffen, sie erweitert und gefestigt und kam zu dem Ergebnis, dass dieser Appendix von William Oughtred (1574 - 1660) verfasst wurde. Glaisher (s. Seiten 147 und 160 seines Artikels) macht diese Zuordnung an folgenden Faktoren zur "mathematical notation" fest:

1. Abkürzungen für Sine und tangent mit s bzw. t sowie s^* und t^* für cosine und cotangent (Abkürzungen, die Briggs nie gebraucht hatte)
2. Anwendung des X als Multiplikationszeichen
3. Die Anwendung des Begriffes "Cathetus" für die Senkrechte CA
4. Nutzung von CA als Lot von C auf die Gegenseite, dadurch Bezeichnung des Dreiecks mit BCD
5. Gebrauch des Wortes "ingredient"
6. Einsatz von Strichen und Kreisen, um Seiten und Winkel zu bezeichnen

William Oughtred und die Logarithmen – Abstrakt (3)



Die Radixmethode wurde in späteren Jahrhunderten weiter verfeinert und ist mit Namen wie Robert Flower (1771), George Atwood (1786), Zecchini Leonelli (1802), Thomas Manning (1806), Thomas Weddle (1845) sowie Peter Gray und Thomas Ellis verbunden. Auf diese relativ einfache Methode ist in jüngerer Zeit bereits mehrfach in Artikeln im JOS und bei der IM 2004 hingewiesen worden.

Dieser Artikel soll einen Beitrag dazu leisten, die vielfältigen Interessen (3) von William Oughtred aufzuzeigen und hier besonders auf seine Beziehungen zu den Logarithmen einzugehen. Logarithmen sind der Ursprung für alle Rechenschieber.

Literatur

J. Fischer: Napier and the Computation of Logarithms, JOS, 7(1), 11 - 16 (1998); 7(2) S. 50 (1998)

J.W.L. Glaisher: The Quarterly Journal of Pure and Applied Mathematics, 46, 125-197 (1914/15)

K. Kühn: William Oughtred - Inventor of the Slide Rule, SR Gazette, 4, 75 - 84 (2003)

R. Otnes: How Briggs Computed Logarithms, JOS, 4(2), 26-27 (1995)

R. Otnes: The Logarithms of Joss Bürgi, JOS, 7(2), 50-51 (1998)

T. Sonar: Die Berechnung der Logarithmentafeln durch Napier und Briggs, IM 2004

Additional Reading:

1. The History of Mathematical Tables; Ed. M. Campbell-Kelly et al., Oxford University Press 2003

2. A History of Numerical Analysis from the 16th through the 19th Century, H.H. Goldstine; Springer Verlag New York 1977

Der freundlichen Unterstützung von Karl Kleine, der mir eine Kopie des Original-Appendix besorgte, sei herzlich gedankt. Ohne diese Kopie hätte ich diese Arbeit nicht schreiben können, da in Glaishers Arbeit die zitierten Appendix-Passagen in einen anderen Zusammenhang als im Original gebracht sind, was deren Verständlichkeit erschwerte.

Gaueing y Azimth of altit^{ude} of y^e gone
 to finde y^e power of y^e day
 as y^e cosine of y^e altit^{ude}
 is to y^e sine of y^e Azimth
 so y^e cosine of y^e altit^{ude}
 to y^e sine of y^e power

Gaueing y^e power of y^e day to y^e
 altit^{ude} and y^e determination to
 finde y^e Azimth

as y^e cosine of y^e altit^{ude}
 is to y^e sine of y^e power
 so y^e cosine of y^e determination
 to y^e sine of y^e Azimth

Gaueing y^e distance of y^e
 ☉ from y^e next equinox point
 to finde y^e first ascension

As y^e Radius
 to cosine of great^{est} hor^{izon}
 so y^e tan^{gent} of y^e distance
 to y^e tan^{gent} of first ascen^{sion}

Gaueing y^e tangent of declin^{ation}
 of ☉ to finde y^e first ascension

as y^e tan^{gent} of great^{est} hor^{izon}
 to tan^{gent} determination y^e same
 so y^e Radius
 to y^e sine of y^e first
 ascension



An Appendix to the Logarithmes, shewing the practise of the Calculation of Triangles, and also a new and ready way for the exact finding out of such Sines and Logarithmes as are not precisely to be found in the Canons.



Hat great ease is offered
 vnto vs in this art of Lo-
 garithmicke, for the resolu-
 tion of all Triangles both
 plaine and Sphericall
 (without any speech) ex-
 perience it selfe wil quick-

lie shew to such as haue at any time bene
 tyred with the labourious worke of the for-
 merly vsed tables of Triangles, I meane of
 Sines, Tangents and Secants. Yet into the full
 obtaining of the facilitie and readinesse
 that the excellent inuention of this Author
 may afford vs, two things seemed vnto mee
 conveniently might bee added hereunto:
 The one is a direction for the practise of the
 severall rules of the Calculation of Trian-
 gles: The other is a perfect and readie way
 of finding out such Sines and Logarithmes

A DESCRIPTION OF THE ADMIRABLE TABLE OF LOGA- RITHMES:

WITH
*A Declaration of the most Plenti-
full, Easie, and Speedy vse there-
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

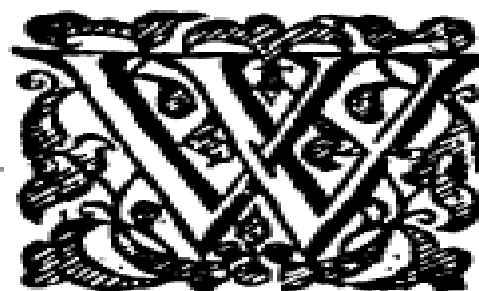
*With an addition of the Instrumentall Table
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGGS Geometry-
reader at Gresham-house in
LONDON.*

All perused and approved by the Authour, and
published since the death of the Translator.
*Whereunto is added new Rules for the
ease of the Student.*

LONDON,
Printed for SIMON WATERSON,
1618.



GULIELMUS OUGHTRED ANGLVS.
ex Academia Cantabrigie. Aetatis 75. 1640.



That great ease is offered
vnto vs in this art of Lo-
garithmic, for the resolu-
tion of all Triangles both
plaine and Sphaericall
(without my speech) ex-
perience it selfe wil quick-
lie shew to such as haue at any time beene
tyred with the labourious worke of the for-
merly vsed tables of Triangles, I meane of
Sines, Tangents and Secants. Yet into the full
obtayning of the facility and readinesse
that the excellent inuention of this Author
may affoord vs, two things seemed vnto mee
conueniently might bee added hereunto:
The one is a direction for the practise of the
seuerall rules of the Calculation of Trian-
gles: The other is a perfect and readie way
of finding out such Sines and Logarithmes

A 3

which

**A
DESCRIPTION
OF THE ADMIRABLE
TABLE OF LOGA-
RITHMES:**

WITH
*A Declaration of the most Plenti-
full, Easie, and Speedy vse therē
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

*With an addition of the Instrumentall Table
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGS Geometry-
reader at Gresham-house in
LONDON.*

All perused and approved by the Authour, and
published since the death of the Translator.
*Whereunto is added new Rules for the
ease of the Student.*

LONDON,
Printed for SIMON WATERION,
1618.

gles : The other is a perfect and readie way
of finding out such Sines and Logarithmes

A 3 which

which are not to be found exactly in the Ta-
bles. This latter the Author in the fourth
Chapter of his first Booke, leaueth won-
drouly perplexed : and the Translator, that

A DESCRIPTION OF THE ADMIRABLE TABLE OF LOGA- RITHMES:

WITH
*A Declaration of the most Plenti-
full, Easie, and Speedy vse therē
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

With an addition of the *Instrumentall Table*
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGS Geometry-
reader at Gresham-house in
LONDON.

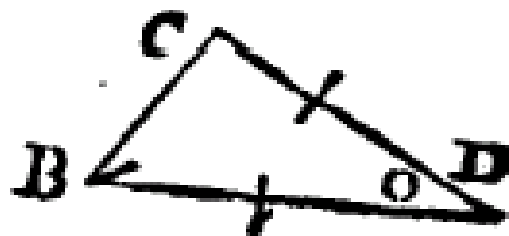
All perused and approved by the Authour, and
published since the death of the Translator.
Whereunto is added new Rules for the
ease of the Student.

LONDON,
Printed for SIMON WATERSON,
1618.

(4)
right angled trian-
gle, AEC. & ADC
as you may see in
the figure.



Having thus described your triangle, note
the part thereof given
with a right line, & the
part sought with a cir-
cle. As in the figure we
are by the angle B, and
the two sides BD and CD to finde out the
angle D intercepted between them.



In another case...

A
DESCRIPTION
OF THE ADMIRABLE
TABLE OF LOGA-
RITHMES:

WITH
A Declaration of the most Plenti-
full, Easie, and Speedy vse therē-
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

With an addition of the Instrumentall Table
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGS Geometry-
reader at Gresham-house in
LONDON.

All perused and approved by the Authour, and
published since the death of the Translator.
Whereunto is added new Rules for the
ease of the Student.

LONDON,
Printed for SIMON WATERSON,
1618.

In every severall calculation, I set downe
onely the practise plainly to the eye, as it is
to be wrought: whercin if you observe the
order & the notes, you shal not lightly erre.
The notes are these. For the Logarithme of
an arch or an angle, I set before it (s) for the
antilogarithme or complement thereof (s*)
and for the Differential (t) The Logarithme

A
DESCRIPTION
OF THE ADMIRABLE
TABLE OF LOGA-
RITHMES:

WITH
*A Declaration of the most Plenti-
full, Easie, and Speedy vse therē
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

*With an addition of the Instrumentall Table
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGS Geometry-
reader at Gresham-house in
LONDON.*

All perused and approved by the Authour, and
published since the death of the Translator.
*Whereunto is added new Rules for the
ease of the Student.*

LONDON,
Printed for SIMON WATERSON,
1618.

and for the Differential (1) The Logarithme
of a straight line, hath no note beside his own
letters. The note of Addition is (+) of sub-
tracting (—) of multipl.

A
DESCRIPTION
OF THE ADMIRABLE
TABLE OF LOGA-
RITHMES:

WITH
*A Declaration of the most Plenti-
full, Easie, and Speedy vse therē-
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

*With an addition of the Instrumentall Table
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGS Geometry-
reader at Gresham-house in
LONDON.*

All perused and approved by the Authour, and
published since the death of the Translator.
*Whereunto is added new Rules for the
ease of the Student.*

LONDON,
Printed for SIMON WATERION,
1618.

letters. The note of Addition is (+) of sub-
tracting (−) of multiplying (x) This note
([) sheweth that the number set therein is
reserved to divide some other number: the
note of equality is (=) As for example:

A
DESCRIPTION
OF THE ADMIRABLE
TABLE OF LOGA-
RITHMES:

WITH
*A Declaration of the most Plenti-
full, Easie, and Speedy vse therē-
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

*With an addition of the Instrumentall Table
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGS Geometry-
reader at Gresham-house in
LONDON.*

All perused and approved by the Authour, and
published since the death of the Translator.
*Whereunto is added new Rules for the
ease of the Student.*

LONDON,
Printed for SIMON WATERSON,
1618.

note of equality is ($\equiv$) As for example:
 $s B + BC \equiv CA$. that is, the Loga-
rithme of the angle B. at the Base of a plain
right-angled triangle, increased by the addi-
tion of the Logarithme of B C. the hypote-
nusa thereof, is equall to the Logarithme of
C A the cathetus. And from hence plaine

**A
DESCRIPTION
OF THE ADMIRABLE
TABLE OF LOGA-
RITHMES:**

WITH

*A Declaration of the most Plenti-
full, Easie, and Speedy vse therē
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Inuented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

*With an addition of the Instrumentall Table
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGGS Geometry-
reader at Gresham-house in
LONDON.*

All perused and approved by the Authour, and
published since the death of the Translator.
*Whereunto is added new Rules for the
ease of the Student.*

LONDON,
Printed for SIMON WATERSON,
1618.

Now followeth the way of finding out such
sines and logarithmes, as are not in the ca-
non precisely to be had: the ground of which
worke is, because the differences of the sines
and logarithmes in this canon, are equall so
farre vntill the sine decrease about 980000.
and the logarithme increase about 202000.
Wherefore if wee shall by any art bring the
logarithme, being it selfe great, that it may
be lesse then 202000. or the sine being it self
little, that it may bee greater then 980000.
we may haue the difference to bee added, or
substracted, most readily without any propor-
tion. For the performance whereof, I haue
inuented and framed this Table following:
which consisteth of two parts; the former be-
ing of absolute sines, the latter of tenth and
hundredth parts.

A DESCRIPTION OF THE ADMIRABLE TABLE OF LOGA- RITHMES:

WITH
*A Declaration of the most Plenti-
full, Easie, and Speedy vse there-
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

*With an addition of the Instrumentall Table
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGGS Geometry-
reader at Gresham-house in
LONDON.*

All perused and approved by the Authour, and
published since the death of the Translator.
*Whereunto is added new Rules for the
ease of the Student.*

LONDON,
Printed for SIMON WATERSON,
1618.

Correction:
3 = 1098612

Sin.	Logarith.	Sin.	Logarith.	Sine.	Logarithme.
1	000000	100	4605168	10000	9210337
2	693146	200	5298314	20000	9803483
3	1096612	300	5703780	30000	10308949
4	1386294	400	5991462	40000	10596631
5	1609437	500	6214605	50000	10819774
6	1791758	600	6396925	60000	11002095
7	1945909	700	6551077	70000	11156246
8	2079441	800	6684609	80000	11299778
9	2197223	900	6802391	90000	11407560
10	2302584	1000	6907753	100000	11512921
20	2995730	2000	7600899	200000	12206067
30	3401196	3000	8006365	300000	12611533
40	3688878	4000	8294047	400000	12899215
50	3911021	5000	8517190	500000	13122358
60	4094342	6000	8699511	600000	13304679
70	4248493	7000	8853662	700000	13458830
80	4382025	8000	8987194	800000	13592362
90	4499807	9000	9104976	900000	13710144

A DESCRIPTION OF THE ADMIRABLE TABLE OF LOGA- RITHMES:

WITH
*A Declaration of the most Plenti-
full, Easie, and Speedy vse therē
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

With an addition of the *Instrumentall Table*
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGGS Geometry-
reader at Gresham-house in
LONDON.

All perused and approved by the Authour, and
published since the death of the Translator.
*Whereunto is added new Rules for the
ease of the Student.*

LONDON,
Printed for SIMON WATERSON,
1618.

The Supplement of the Table for tenth and hundredth parts.

Sin.	Logarith.	Sin.	Logarith.	Sine.	Logarithme
11	95311	17	530628	104	39222
12	182321	18	587786	126	48790
13	262364	19	641853	106	58269
14	336473	101	9951	107	67659
15	405465	102	19803	108	76962
16	470004	103	29560	109	86177

Correction:
126 = 105

Berchnungsbeispiel aus dem Appendix

A DESCRIPTION OF THE ADMIRABLE TABLE OF LOGA- RITHMES:

WITH
*A Declaration of the most Plenti-
full, Easie, and Speedy vse there-
of in both kinds of Trigonome-
try, as also in all Ma-
thematicall Calcula-
tions.*

Invented and published in *Latine* by that
Honourable Lord JOHN NEPAIR, Baron of
MARCHISTON, and translated into Eng-
lish by the late learned and famous
Mathematician, EDWARD
WRIGHT.

*With an addition of the Instrumentall Table
to finde the part Proportionall, intended
by the Translator, and described in the end of the
Booke by HENRIE BRIGGS Geometry-
reader at Gresham-house in
LONDON.*

All perused and approved by the Authour, and
published since the death of the Translator.
*Whereunto is added new Rules for the
ease of the Student.*

LONDON,
Printed for SIMON WATERSON,
1618.

direct you. Lastly, to this logarithme found
out by the canon, add the logarithms of the
Table collaterall to the line & parts where-
with you multiplied, and the summe of all
shall be the logarithme of the sine or num-
ber proposed: as for example, I would have
the logarithme of 157.

$$\begin{array}{r} 157 \times 3000 \\ 771000 \times 12 \quad 100 \text{ little.} \\ 1542 \\ 925200 \times 108: \text{ yet too little,} \\ 7416 \end{array}$$

999216 the logarithme of this by the canon
at the first view, appeareth to
be 748. vnto this add the lo-
garithmes of the table colate-
rall to 3000. & 12. & 108. & 16

$$\begin{array}{r} 784 \\ 8006365 \\ 182321 \\ 76962 \\ 8266432 \\ \text{shall} \end{array}$$

(14)

shal you haue 8266432 for the true logarih-
me of 157.

fed. As for example. I would haue the line
or numerall valour of this logarith. 8266430.

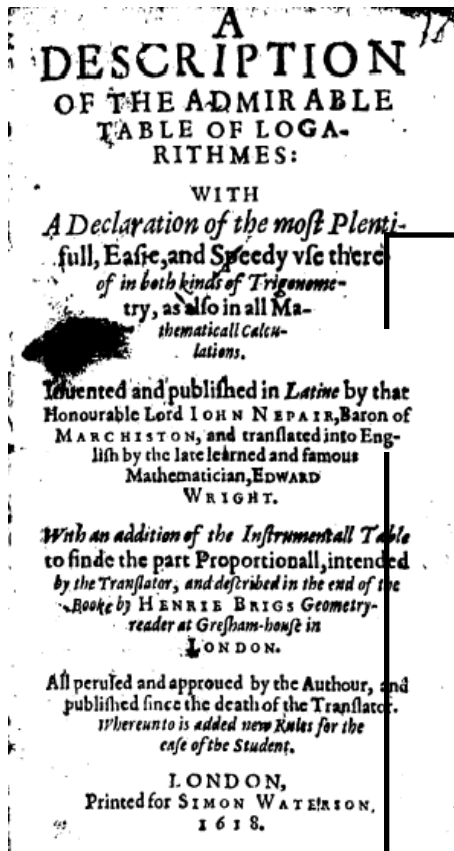
$$\begin{array}{r} 8266432 \\ 8006365 \quad [3000. \\ 260067 \\ 782321 \quad [12 \\ 77746 \\ 76962 \quad [108 \end{array}$$

784. the line whereof by the canon, of-
fereth it selfe to be 999216. which must bee
divided as is shewed in the rule,

$$\begin{array}{r} 108) \\ 12) \quad 99921600 \quad (9252000 \quad (771000. \\ 3000) \quad (2)7 \end{array}$$

So then the line or numerall valour of the
logarithme, 999216. giuen is 157.

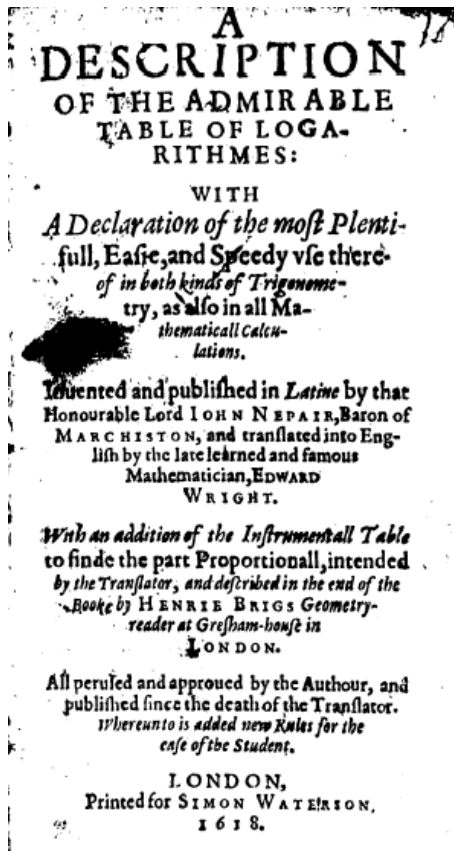
Brechnungsbeispiel aus Glaisher



Gesucht Ln		SIN	Ln		Hilfsgröße X (:1.000.000)	e ^x
			aus Tabelle			
257	X	3000	8006368		8,006	3000,0013
771000	X	1,2	182322		0,182	1,2
925200	X	1,08	76961		0,077	1,08
999216	138147263					
784	+		8265650	=	8266434	
1.000.000						

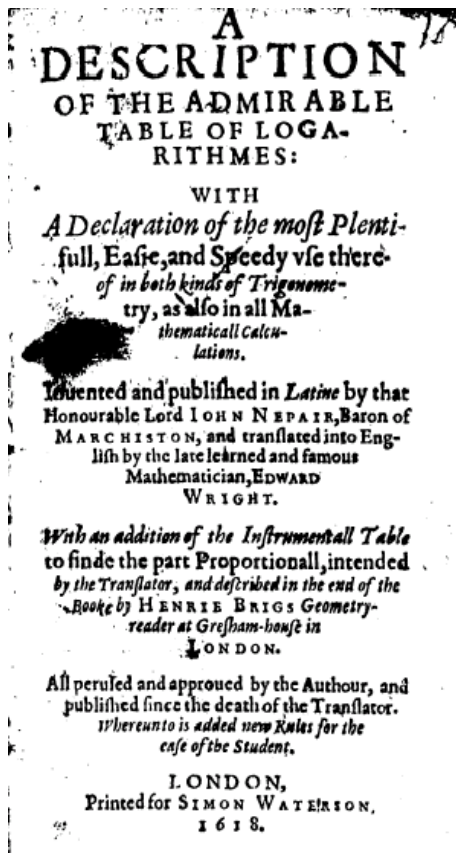
Radix
Methode:
Auflösung
einer Zahl (x
oder :) in
Faktoren der
Form $1 \pm r/10^n$

Berechnungsbeispiel aus Glaisher



		Ln aus Tabelle				
Gesucht "sin"		Ln				
257			8266434		8266434	
	:	3000	8006368			
771000			260067			
	:	1,2	182322			
925200			77745			
	:	1,08	76961			
			784			
999216			999216			
			1000000		13,81551056	1000000





William Oughtred als Mathematiker - Spuren

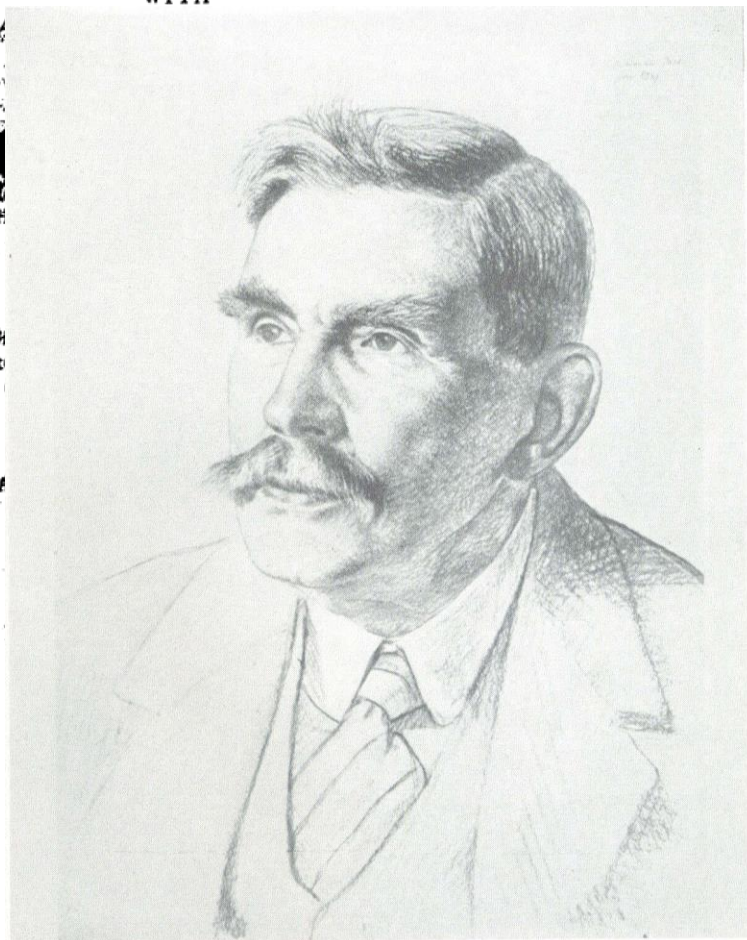
- "Love" and use "of symbols" – Autorenschaft
- "Disinclination to publish his mathematical manuscript (at least under his own name)"
- "Always earnest to encourage the study of mathematics"!!!!!!!

Zitate von
Glaisher

A
DESCRIPTION
OF THE ADMIRABLE
TABLE OF LOGA-
RITHMES:

WITH

James Whitebread Lee Glaisher

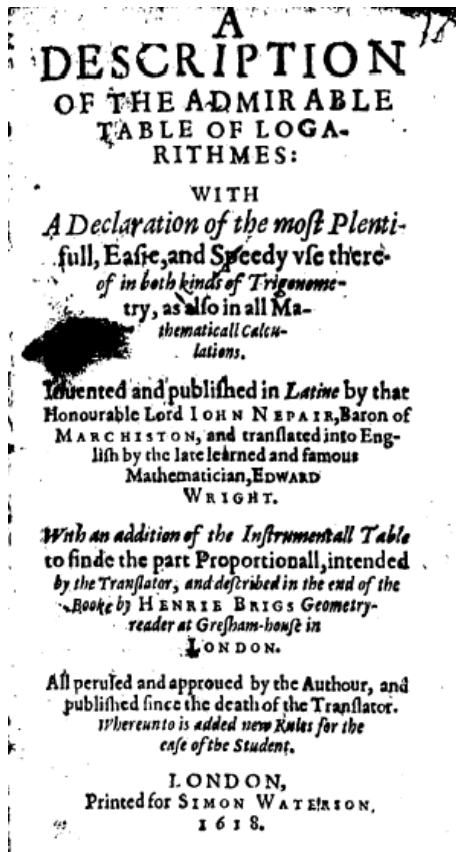


J. W. L. GLAISHER 1927

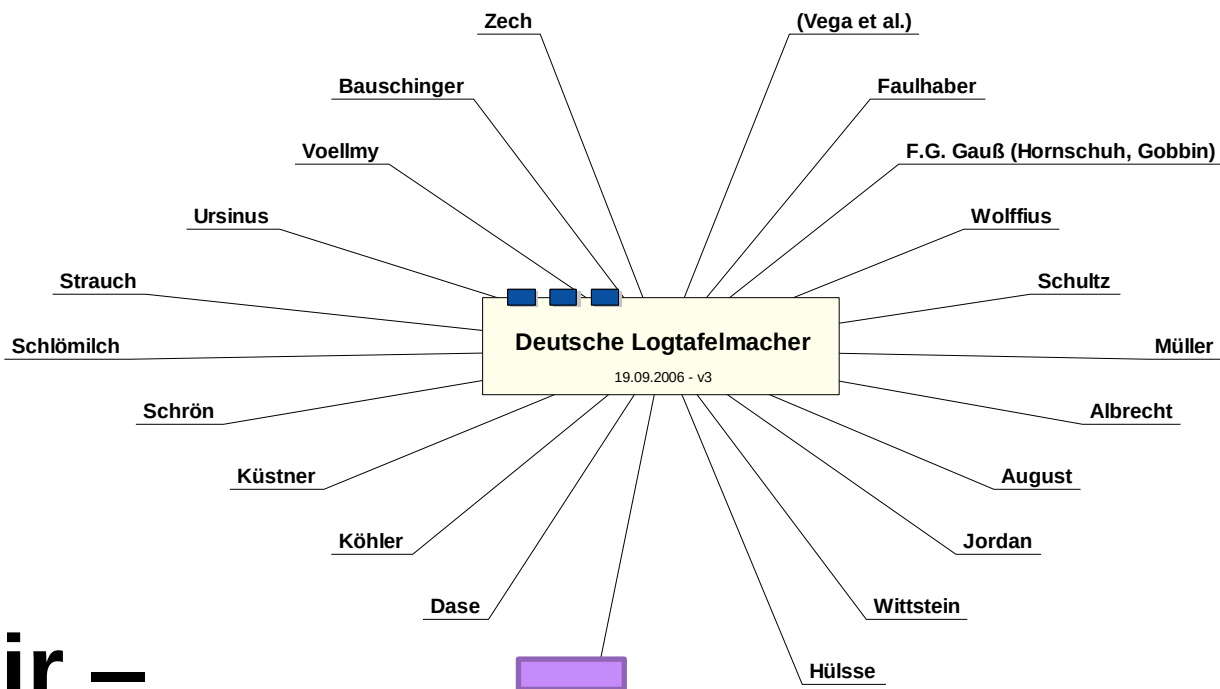
JAMES WHITBREAD LEE GLAISHER (1848–1928)

B. Lewisham, Kent, England. F.R.S. (1875); refused the invitation to become Astronomer Royal (1881); president London Math. So., Cambridge Phil. So., R.A.S. (twice), and Section A of B.A.A.S.; fellow, lecturer and tutor Trinity Coll., Cambridge; DeMorgan medallist (1908); Sylvester medallist (1913); editor *Mess. Math.*, 1871–1929 (last), *Quart. J. Math.*, 1878–1928. Eldest son of James Glaisher *supra*.

Quelle: R.C. Archibald; **Mathematical Table Makers;**
Scripta Mathematica 1948

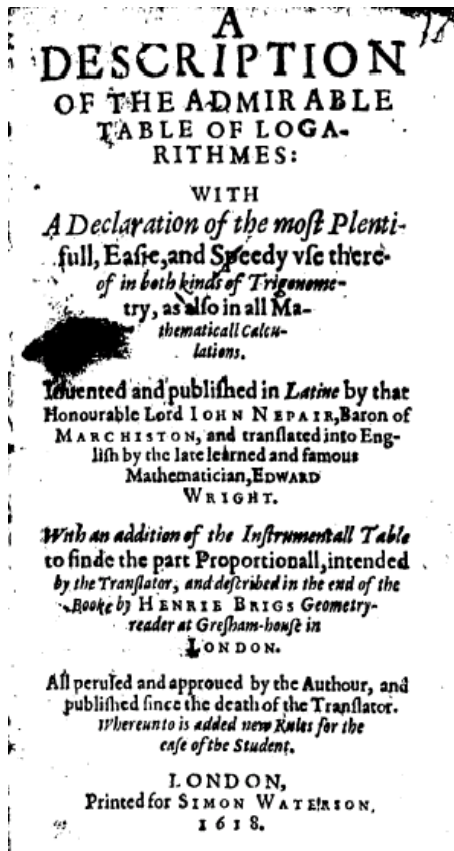


Wer macht mit ? Ich suche
Biographien deutschsprachiger
Tafelmacher – freie Auswahl.



Bitte bei mir –
kk@collectanea.eu -
melden - DANKE !

William Oughtred and Logarithms - Abstract

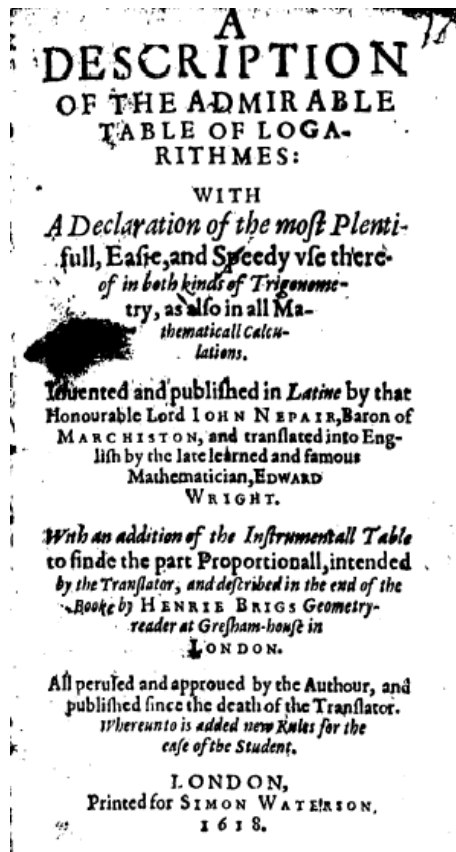


Three names are closely connected with the history of logarithms: John Napier (1550 - 1617), Jobst Bürgi (1552 - 1632) und Henry Briggs (1560 - 1630). While Napier constructed logarithms based on a mathematical-kinematical method (1), did Bürgi use the route by calculating "antilogarithms" (5). Henry Briggs introduced the base of 10, which resulted in a simplification of calculating logarithms (4). This idea included numerical values, whereas Napier's logarithms were used for trigonometrical data only.

The publication of "Mirifici Logarithmorum Canonis Descriptio" - the first logarithmical tables - in 1614 lead to a sequence of much more tables in english and french? . All those editions were different, mainly through their APPENDIX's, whereas the logarithmic tables remained the same. Some of the authors of those appendixes were not to be identified easily. This task was taken over later by mathematical historians.

A publication by J.W.L. Glaisher (1848 - 1928) from 1914 "*The earliest use of the radix method for calculating logarithms, with historical notices relating to the contributions of Oughtred and others to mathematical notation*" covers a 16-page appendix, which appeared 1618 in the 2nd edition of "Mirifici - A description of the admirable table of logarithmes..." translated from Latin by Edward Wright. This appendix covers a method to calculate logarithms by the - "Radix Method" (6). Initially this appendix was dedicated to Henry Briggs. But Glaisher took some hints from A. de Morgan and after further investigations he concluded, that this appendix was written by William Oughtred (1574 - 1660).

William Oughtred and Logarithms – Abstract (2)

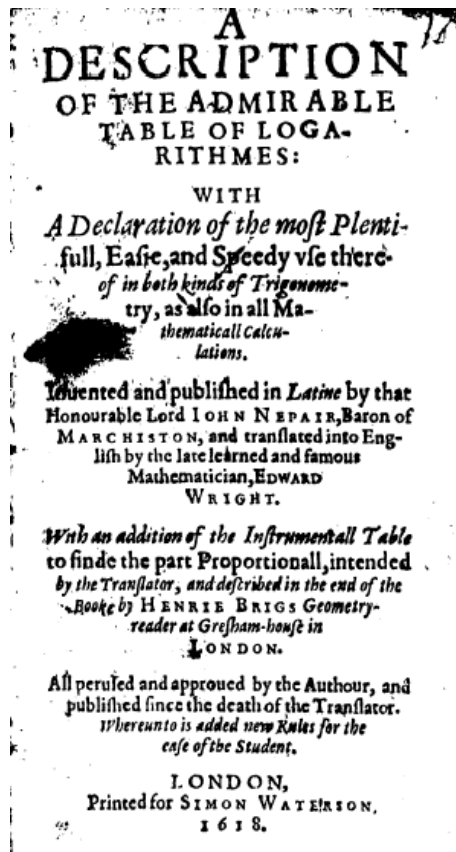


Glaisher (see pages 147 and 160 of his article) based his opinion on these factors of "mathematical notation" :

1. abbreviations for sine and tangent are s resp. t as well as s^* and t^* for cosine and cotangent (abbreviations, which Briggs never has used)
2. use of X as the sign of multiplication
3. the use of the word "cathetus" for perpendicular
4. he uses CA for the perpendicular let fall from C on the opposite side, and therefore denotes an oblique-angled triangle by BCD
5. the use of the word "ingredient"
6. the use of circles and strokes to denote the data and quæsitæ in a triangle

This paper is intended to demonstrate the broad mathematical interest of William Oughtred (3), especially his relations to logarithms, which are the basis for all slide rules.

William Oughtred and Logarithms – Abstract (3)



Literature

- J. Fischer: Napier and the Computation of Logarithms, JOS, 7(1), 11 - 16 (1998); 7(2) S. 50 (1998)
- J.W.L. Glaisher: The Quarterly Journal of Pure and Applied Mathematics, 46, 125-197 (1914/15)
- K. Kühn: William Oughtred - Inventor of the Slide Rule, SR Gazette, 4, 75 - 84 (2003)
- R. Otnes: How Briggs Computed Logarithms, JOS, 4(2), 26-27 (1995)
- R. Otnes: The Logarithms of Joss Bürgi, JOS, 7(2), 50-51 (1998)
- T. Sonar: Die Berechnung der Logarithmentafeln durch Napier und Briggs, IM 2004

Additional Reading:

1. The History of Mathematical Tables; Ed. M. Campbell-Kelly et al., Oxford University Press 2003
2. A History of Numerical Analysis from the 16th through the 19th Century, H.H. Goldstine; Springer Verlag New York 1977

Acknowledgement: Support from Karl Kleine, who provided me with a copy of the original-appendix, made this article possible for me and is gratefully acknowledged.